

COVID-19 CDC DATA AND MODEL FIT WITH EXTRAPOLATION TO FUTURE

MILLIONS UNIT: $M := 10^6$

US POPULATION: $Nus := 330 \cdot M$

CDC DATA

$rows(DATA) = 1198.00$ $Cases := col(DATA, 3)$ $Deaths := col(DATA, 4)$ $Days := col(DATA, 2)$

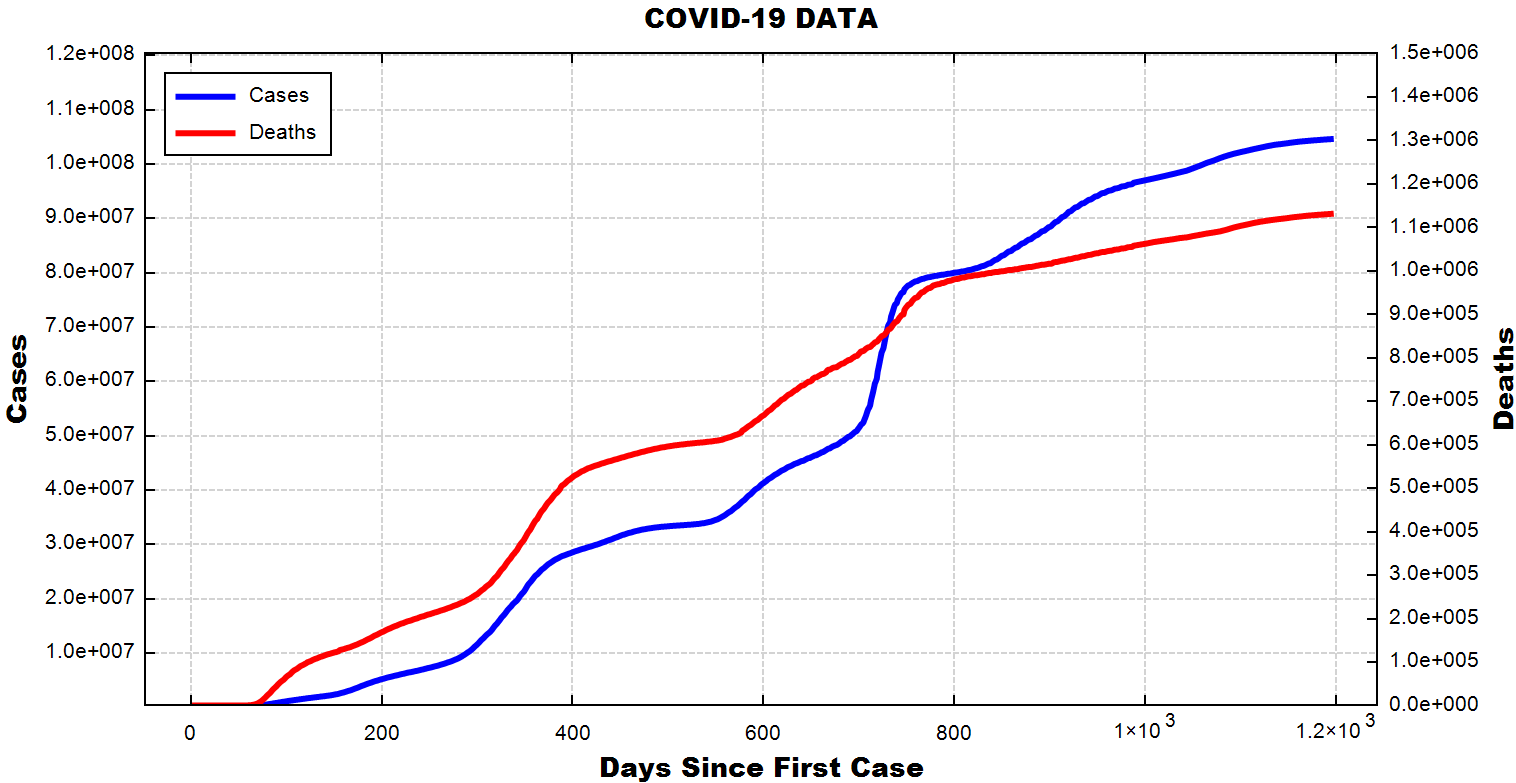
$Today := rows(DATA) - 1 = 1197.00$ $CASES := augment(Days, Cases)$ $DEATHS := augment(Days, Deaths)$

$max(Cases) = 1.05 \cdot 10^8$ $max(DEATHS) = 1.13 \cdot 10^6$

DATE DATA

$Date := col(Date, 1)$ $rows(Date) = 1806$

I DON'T KNOW HOW TO EXPRESS THE DATE AS A STRING, WHICH IS AUTOMATIC IF I USE THE IMPORT XLSX FUNCTION



{ CASES
DEATHS

SEGMENT COUPLED FINITE DIFFERENCE MODEL PROGRAM TO FIT DATA

Ro SEGMENTS

SECOND COLUMN OF SEGMENTS IS THE VALUE OF THE REPRODUCTION RATE R_o TO FIT THE DATA FOR EACH DATA SEGMENT
SEGMENTS WERE DETERMINED BY THE DATE THAT I DOWNLOADED THE CDC DATA

$findrows(SEGMENTS, 1197, 1) = [1197.0000000000 \ 1.1576985785]$

$findrows(SEGMENTS, 1190, 1) = [1190.0000000000 \ 1.1576985785]$

$R_o := col(SEGMENTS, 2)$ $rows(R_o) = 57.00$ $length(R_o) = 57.00$

$R_o_{rows(R_o)} = 1.1576985785$ $Today = 1197.00$ $R_o_1 = 6.90$

$SEG := col(SEGMENTS, 1)$ $rows(SEG) = 57.00$

$SEG_{rows(SEG)} = 1197.00$ $SEG_1 = 37.00$ $R_o_{rows(R_o) - 1} := 1.03605$

$I_{36} := 15$ $R_{36} := 0$ $S_{36} := Nus - I_{36}$ $\gamma := \frac{1}{14}$ $\delta t := 1$

$SEGMENTS = \begin{bmatrix} 37.0000000000 & 6.9030693470 \\ 58.0000000000 & 3.6377478000 \\ 68.0000000000 & 1.7724011124 \\ 87.0000000000 & 0.9760278905 \\ 140.0000000000 & 1.2820160123 \\ 190.0000000000 & 0.9068410963 \\ 252.0000000000 & 1.3488002904 \\ 315.0000000000 & 1.1803344675 \\ 367.0000000000 & 0.7242430823 \\ \vdots & \end{bmatrix}$

for $n \in [1..(rows(R_o) - 1)]$
 $\beta_n := R_o_n \cdot \gamma$
 for $j \in [SEG_n..SEG_{n+1}]$
 $S_j := eval\left(S_{j-1} - \frac{\beta_n \cdot I_{j-1} \cdot S_{j-1}}{Nus} \cdot \delta t\right)$
 $R_j := eval\left(R_{j-1} + \gamma \cdot I_{j-1} \cdot \delta t\right)$
 $I_j := eval\left(I_{j-1} + \left(\frac{\beta_n \cdot I_{j-1} \cdot S_{j-1}}{Nus} - \gamma \cdot I_{j-1}\right) \cdot \delta t\right)$

$rows(R_o) = 57.00$ $rows(S) = 1197.00$ $rows(R) = 1197.00$ $rows(I) = 1197.00$

$I_{rows(I)} = 1.83 \cdot 10^5$ $MODELCASES := I + R$ $rows(MODELCASES) = 1197.00$ $MODELCASES_{rows(MODELCASES)} = 1.046075 \cdot 10^8$

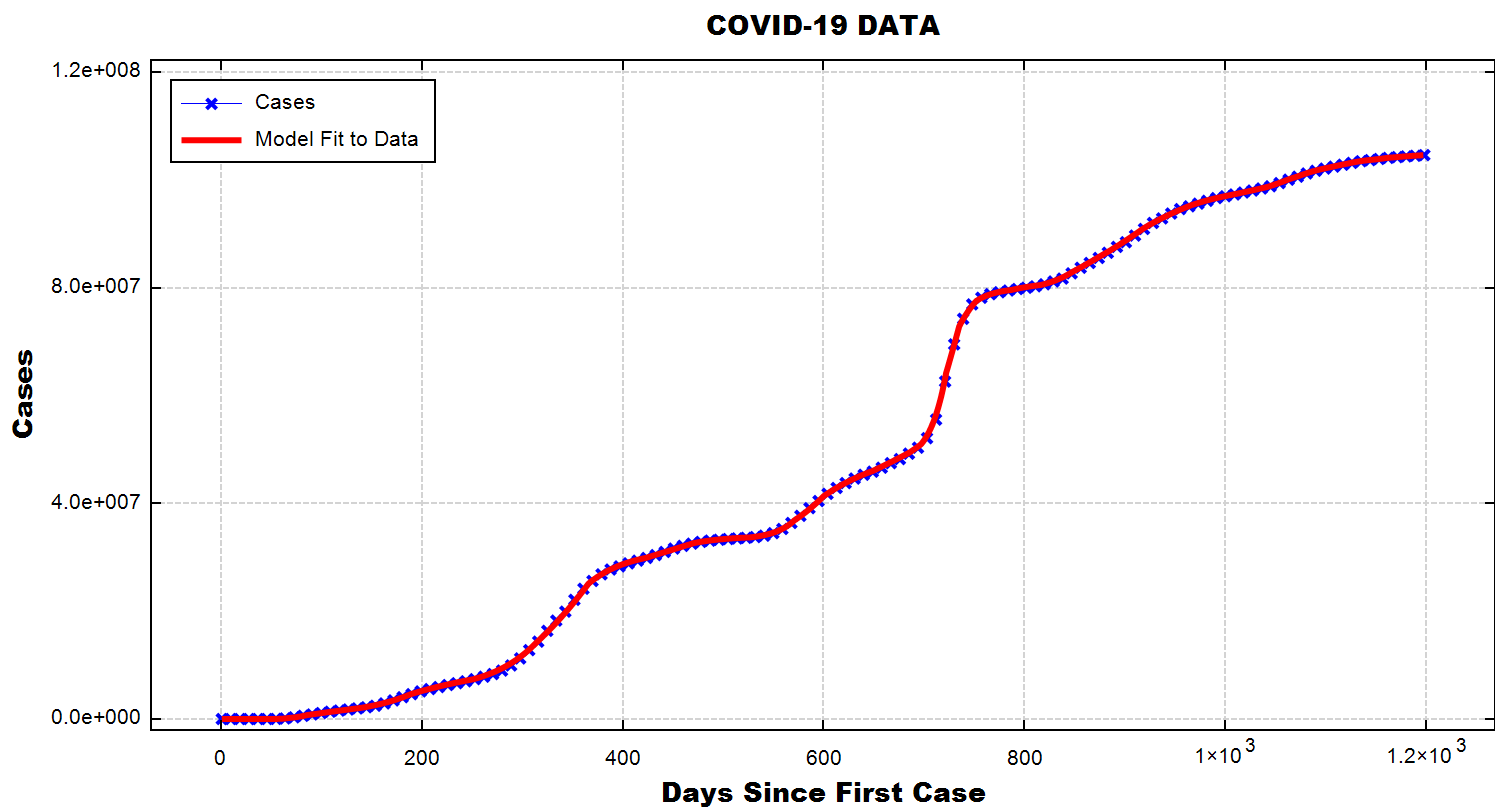
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$$MODEL\text{DAYS} := \begin{bmatrix} 1 \dots SEG \\ \text{rows}(SEG) \end{bmatrix}$$
$$MODELCASES_{Today} - Cases_{Today} = 0.7737$$
$$MODEL2 := \text{augment}(MODEL\text{DAYS}, MODEL\text{CASES}) \quad \text{rows}(MODEL2) = 1197.00$$

SELECT EVERY 10TH CASE POINT TO PLOT

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nselect := [1, 10..rows(CASES)]
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$CASES := CASES_{nselect\ 2}$

$$CASES := \text{augment}(nselect, CASES)$$

$$\begin{cases} \text{CASES} \\ \text{MODEL2} \end{cases}$$

□ — ODE

+—dsol

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str := "β (t) : cases (0)"
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for k ∈ [1..rows(SEGMENTS)]
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$$str := \text{concat} \left(str, ", t < ", \text{num2str} \left(SEGMENTS_{k1} \right), ", ", \text{num2str} \left(\gamma \cdot SEGMENTS_{k2} \right) \right)$$

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dummy := str2num(concat(str, " "))
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$$\beta(0) = 0$$
$$\beta(\text{Today}) = 0.0827$$

$$N := S(t) + I(t) + R(t)$$

$$S'(t) = -\frac{\beta(t) \cdot I(t) \cdot S(t)}{N}$$

$$S(0) = NuS - 15$$

$$T := \text{col} \left(RK, 1 \right)$$

$$S_{RK} := \text{col} (RK, 2)$$

$$I'(t) = \frac{\beta(t) \cdot I(t) \cdot S(t)}{N} - \gamma \cdot I(t)$$

$$I(0) = 15$$

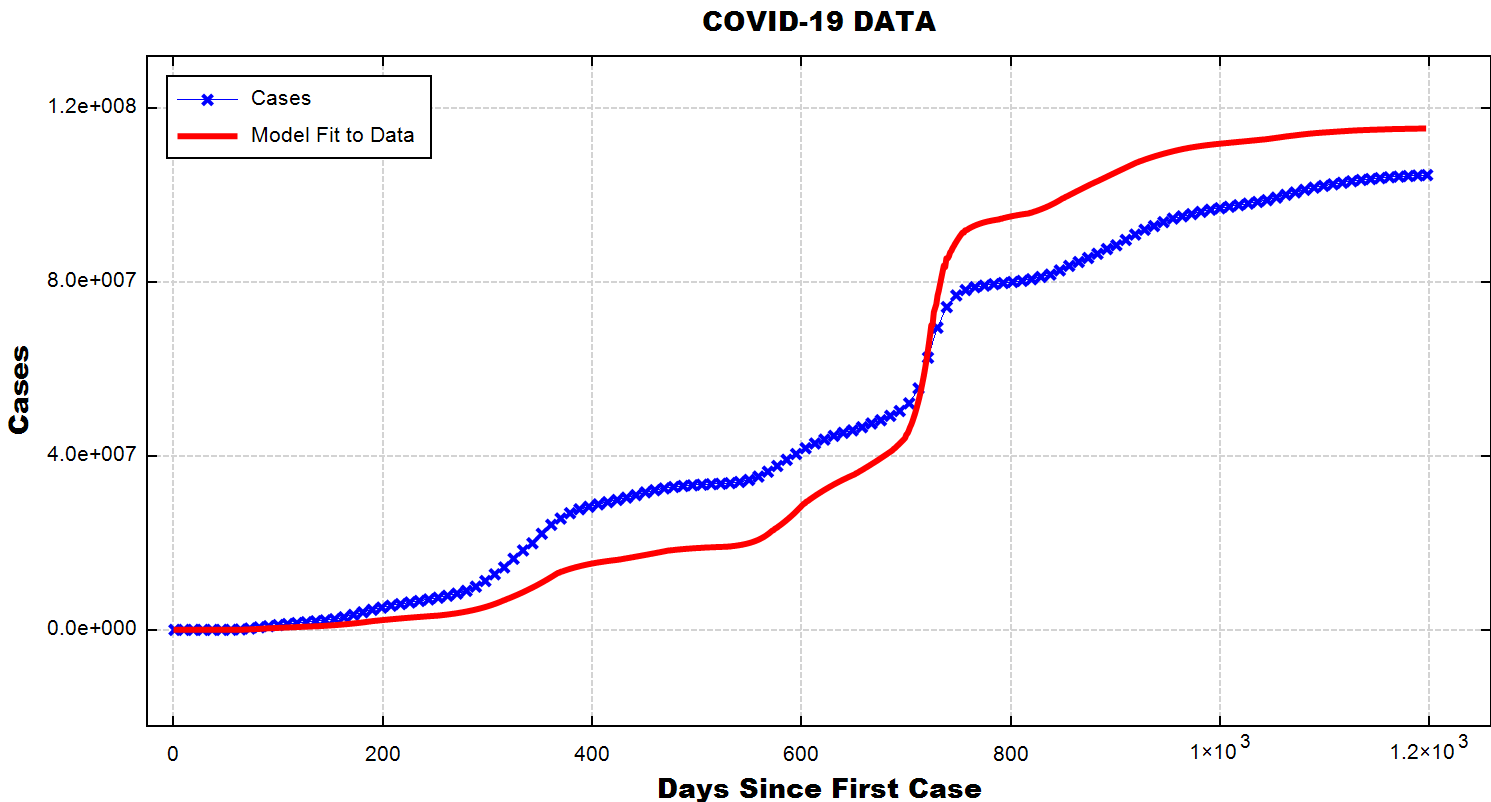
$$R(0) = 0$$

$$I_{RK} := \text{col} (RK, 3)$$

$$R'(t) = \gamma \cdot I(t)$$

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dsolver = "Adams"
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$$\text{RK} := \text{dsol} \left[\begin{cases} S(t) \\ I(t) \\ R(t) \end{cases}, \text{Today}, 1000 \right]$$



CASES

$$\beta(t) = \begin{cases} 0 \\ \gamma \\ \vdots \\ \vdots \end{cases}$$

$\left\{ \text{augment}\left(T, I_{RK}+R_{RK}\right)\right.$

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CUMULATIVE DEATH RATE CALCULATION

