

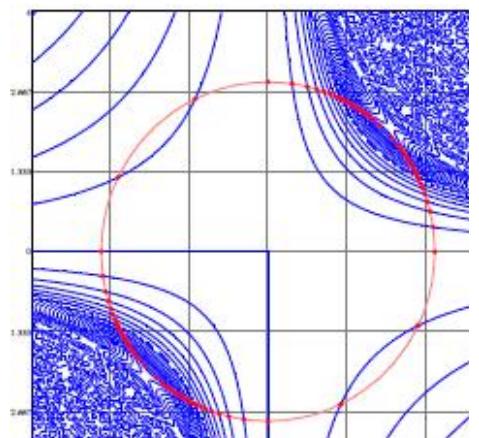
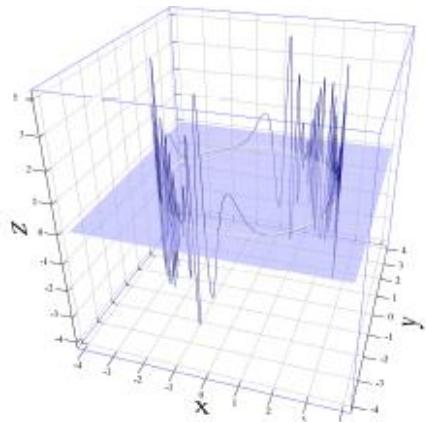
```

NameVec(n , _V):=| V:= 0
                  | for i ∈ 1 .. n
                  |   Vi := -Vi
                  | V
                  |
Draghilev(F(1) , x0 , t1 , t2 , N):=| (D:= 0 n:= rows(eval(F(x0))) J:= matrix(n , n))
                                              X:= NameVec(2·n+1 , _X)
                                              X1:= submatrix(X , 1 , n , 1 , 1)
                                              X2:= submatrix(X , n+2 , 2·n+1 , 1 , 1)
                                              for i ∈ 1 .. 2·n+1
                                              | if i ≤ (n+1)
                                              |   Σ:= X1
                                              |   if i < (n+1)
                                              |     Σi := -Xn+1
                                              |   else
                                              |     0
                                              |   for ii ∈ 1 .. n
                                              |     for jj ∈ 1 .. n
                                              |       Jii jj :=  $\frac{d}{dx}$ Σjj (F(X1)ii - -Xn+1 · F(X2)ii)
                                              |   Di := |J|
                                              | else
                                              |   Di := 0
                                              Dn+1 := -Dn+1
                                              D(t , _X):= -D
                                              r:= rkfixed(stack(x0 , 1 , x0) , t1 , t2 , N , D(t , _X))
                                              (V:= col(r , n+2) DM:= 0 i:= 1)
                                              for k ∈ 1 .. length(V)-1
                                              | if (Vk > 0) ∧ (Vk+1 < 0) ∨ (Vk < 0) ∧ (Vk+1 > 0) ∨ (Vk = 0)
                                              |   for j ∈ 2 .. n+1
                                              |     P:= col(r , j)
                                              |     DMi j-1 := Pk - Vk ·  $\frac{P_{k+1} - P_k}{V_{k+1} - V_k}$ 
                                              |   i:= i + 1
                                              | else
                                              |   0
                                              eval(DM)

```

Draghilev's method. Examples.  
 Viacheslav N. Mezentsev,  
[viacheslavmezentsev@gmail.com](mailto:viacheslavmezentsev@gmail.com)

$$F(x) := \begin{pmatrix} x := x_1 & y := x_2 \\ x^2 + y^2 - 8 \\ \sin(x \cdot y) \cdot \sin(\exp(x \cdot y)) \end{pmatrix}$$



```
for m in 1 .. 101
```

$$\begin{cases} A := 2 \cdot \sqrt{2} & \omega := 2 \cdot \pi \cdot (m - 1) \cdot 100^{-1} \\ x_{cm} := A \cdot \sin(\omega) & y_{cm} := A \cdot \cos(\omega) \end{cases}$$

```
X0 := stack(2.784, -0.5)
```

```
tmin := 0
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```
tmax := 15
```

```
N := 200
```

```
R := Draghilev(F(x), X0, tmin, tmax, N)
```

```
k := rows(R)
```

```
k = 53
```

```
X := col(R, 1)
```

```
Y := col(R, 2)
```

