

pTM 2020-06-14
Thermo Calc
VS Distributions

Constants $R_{pg} := 8.314 \text{ J/K/mol}$ $T_0K := 273.15$ $PC := \frac{1}{760}$

Temperature $T_g := 625 + T_0K$ $P := 20$

Energy $\Delta G_{Si}(T_g) := 383.673 \cdot 1000 - T_g \cdot 267.7$ $\Delta G_{Ge}(T_g) := 348.9456 \cdot 1000 - T_g \cdot 282.4$
 $SiGe \Omega_i$ $\Omega_i := 5060$

Flows $\phi_T := 20$ $\phi_{Ge} := \phi_T \cdot 0.1$ $\phi_{H2} := 20000 - \phi_T$

Partial Pressures $p_{zT} := \frac{\phi_T}{\phi_{H2} + \phi_T} \cdot \frac{P}{PC}$ $p_{zH2} := \frac{\phi_{H2}}{\phi_{H2} + \phi_T} \cdot \frac{P}{PC}$ $p_{zGe} := \frac{\phi_{Ge}}{\phi_{H2} + \phi_T} \cdot \frac{P}{PC}$
 $p_{zSi}(p_{zGe}) := p_{zT} - p_{zGe}$

Solid Mole Fraction $x(p_{zGe}, p_{Si}, p_{Ge}) := \frac{p_{zGe} - p_{Ge}}{p_{zSi}(p_{zGe}) - p_{Si} + p_{zGe} - p_{Ge}}$

Activities $a_{Si}(p_{zGe}, p_{Si}, p_{Ge}) := (1 - x(p_{zGe}, p_{Si}, p_{Ge})) \cdot e^{\frac{\Omega_i}{R_{pg} \cdot T_g} \cdot x(p_{zGe}, p_{Si}, p_{Ge})^2}$
 $a_{Ge}(p_{zGe}, p_{Si}, p_{Ge}) := x(p_{zGe}, p_{Si}, p_{Ge}) \cdot e^{\frac{\Omega_i}{R_{pg} \cdot T_g} \cdot (1 - x(p_{zGe}, p_{Si}, p_{Ge}))^2}$

Equilibrium Constants $K_{Si}(p_{zGe}, p_{Si}, p_{Ge}) := \frac{a_{Si}(p_{zGe}, p_{Si}, p_{Ge}) \cdot [2 \cdot (p_{zSi}(p_{zGe}) - p_{Si})]^2}{p_{Si}}$
 $K_{Ge}(p_{zGe}, p_{Si}, p_{Ge}) := \frac{a_{Ge}(p_{zGe}, p_{Si}, p_{Ge}) \cdot [2 \cdot (p_{zGe} - p_{Ge})]^2}{p_{Ge}}$

Kp $K_{Si0} := e^{-\frac{\Delta G_{Si}(T_g)}{R_{pg} \cdot T_g}}$ $K_{Ge0} := e^{-\frac{\Delta G_{Ge}(T_g)}{R_{pg} \cdot T_g}}$

Guess $p_{Si} := 10^{-1}$ $p_{Ge} := \frac{p_{Si}}{10}$

Solve Block
 Given
 $K_{Si}(p_{zGe}, p_{Si}, p_{Ge}) = K_{Si0}$
 $K_{Ge}(p_{zGe}, p_{Si}, p_{Ge}) = K_{Ge0}$
 $f(p_{zGe}) := \text{Minerr}(p_{Si}, p_{Ge})$
 $f(p_{zGe}) := \begin{pmatrix} NaN \\ NaN \end{pmatrix}$ on error $f(p_{zGe})$

$p_{zT} \cdot 101325 = 1.54 \times 10^6$ Check function
 $p_{zSi}(p_{zGe}) \cdot 101325 = 1.39 \times 10^6$ $f(0.1) = \begin{pmatrix} 15.09981 \\ 0.09968 \end{pmatrix}$
 $p_{zGe} \cdot 101325 = 1.54 \times 10^5$

Program

```
MX := | N ← 100
      | for I ∈ 1..99
      |   pzSi ←  $\frac{\phi T}{\phi H2 + \phi T} \cdot \frac{P}{PC} \cdot \frac{N - I}{N}$ 
      |   pzGe ←  $\frac{\phi T}{\phi H2 + \phi T} \cdot \frac{P}{PC} \cdot \frac{I}{N}$ 
      |   sol ← f(pzGe)
      |   MATI,0 ← I
      |   MATI,1 ← pzSi
      |   MATI,2 ← pzGe
      |   MATI,3 ← sol0
      |   MATI,4 ← sol1
      |   MATI,5 ←  $\frac{pzGe}{pzSi + pzGe}$ 
      |   MATI,6 ←  $\frac{pzGe - sol_1}{pzSi - sol_0 + pzGe - sol_1}$ 
      | MAT
```

Slope

N0 := 20 N := 50

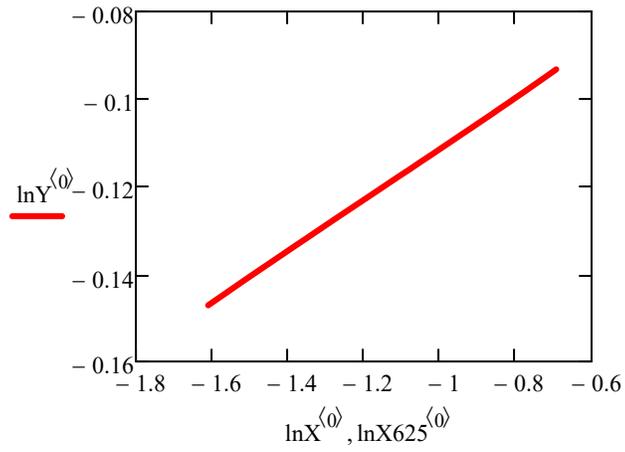
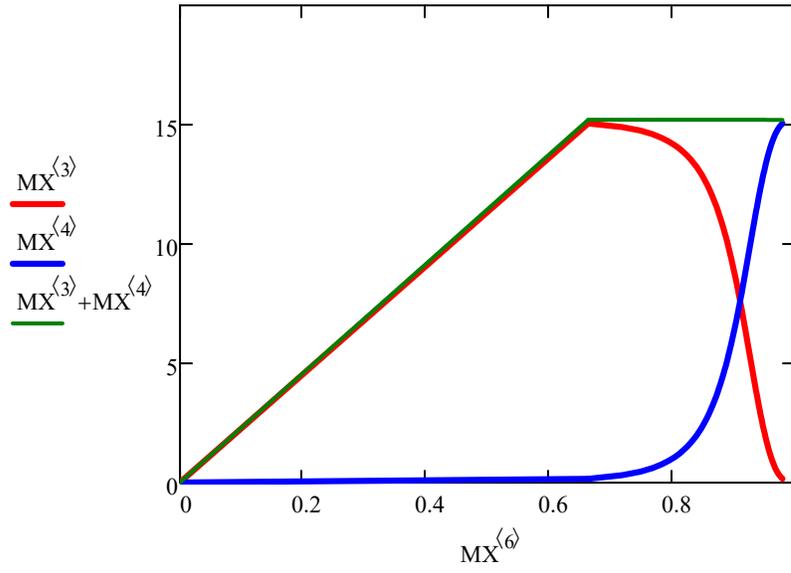
```
lnXX := | for I ∈ N0..N
        |   BufferI ← ln(MXI,5)
        | Buffer
lnYY := | for I ∈ N0..N
        |   BufferI ← ln(MXI,6)
        | Buffer
```

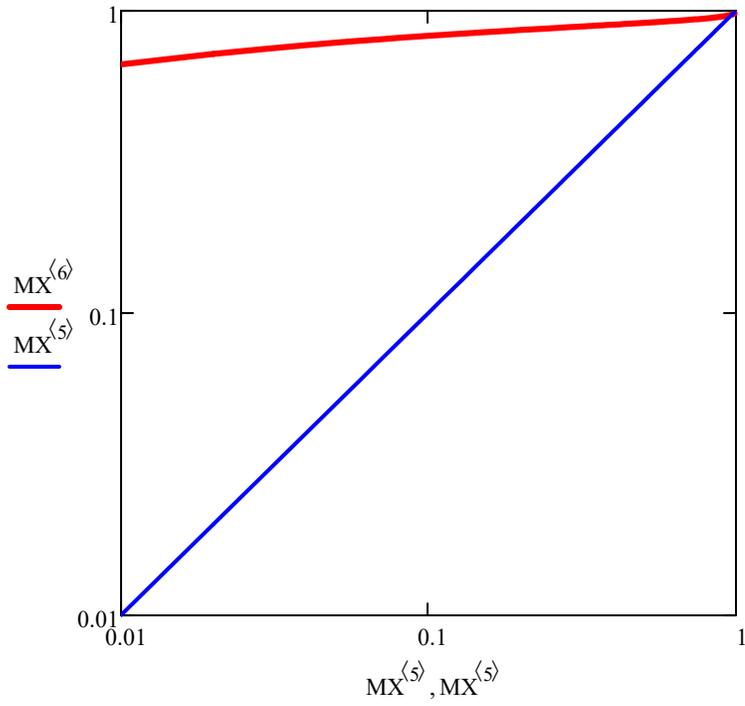
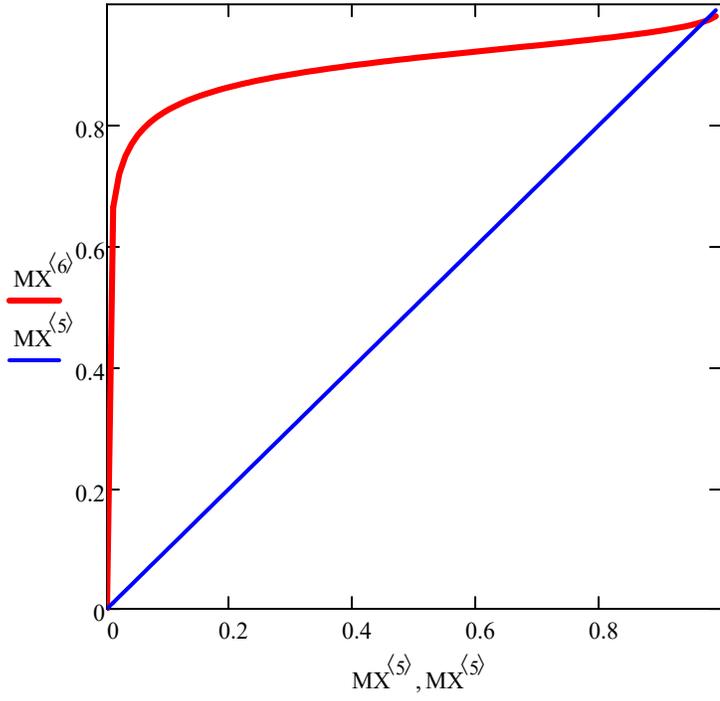
lnX := submatrix(lnXX, N0, N, 0, 0) lnY := submatrix(lnYY, N0, N, 0, 0)

slp := slope(lnX, lnY) slp = 0.059

Export Filepath := "C:\Temp\SiGe-650C-0.02.xlsx"

Dummy := WRITEEXCEL(MX, Filepath)





	0	1	2	3	4	5
0	0	0	0	0	0	0
1	1	15.048	0.152	15.0478	0.15161	0.01
2	2	14.896	0.304	14.89579	0.30346	0.02
3	3	14.744	0.456	14.74378	0.45535	0.03
4	4	14.592	0.608	14.59178	0.60726	0.04
5	5	14.44	0.76	14.43977	0.75918	0.05
6	6	14.288	0.912	14.28777	0.91111	0.06
7	7	14.136	1.064	14.13577	1.06304	0.07
8	8	13.984	1.216	13.98376	1.21498	0.08
9	9	13.832	1.368	13.83176	1.36692	0.09
10	10	13.68	1.52	13.67976	1.51886	0.1
11	11	13.528	1.672	13.52776	1.67081	0.11
12	12	13.376	1.824	13.37576	1.82276	0.12
13	13	13.224	1.976	13.22376	1.97471	0.13
14	14	13.072	2.128	13.07175	2.12667	0.14
15	15	12.92	2.28	12.91975	2.27862	...

MX =